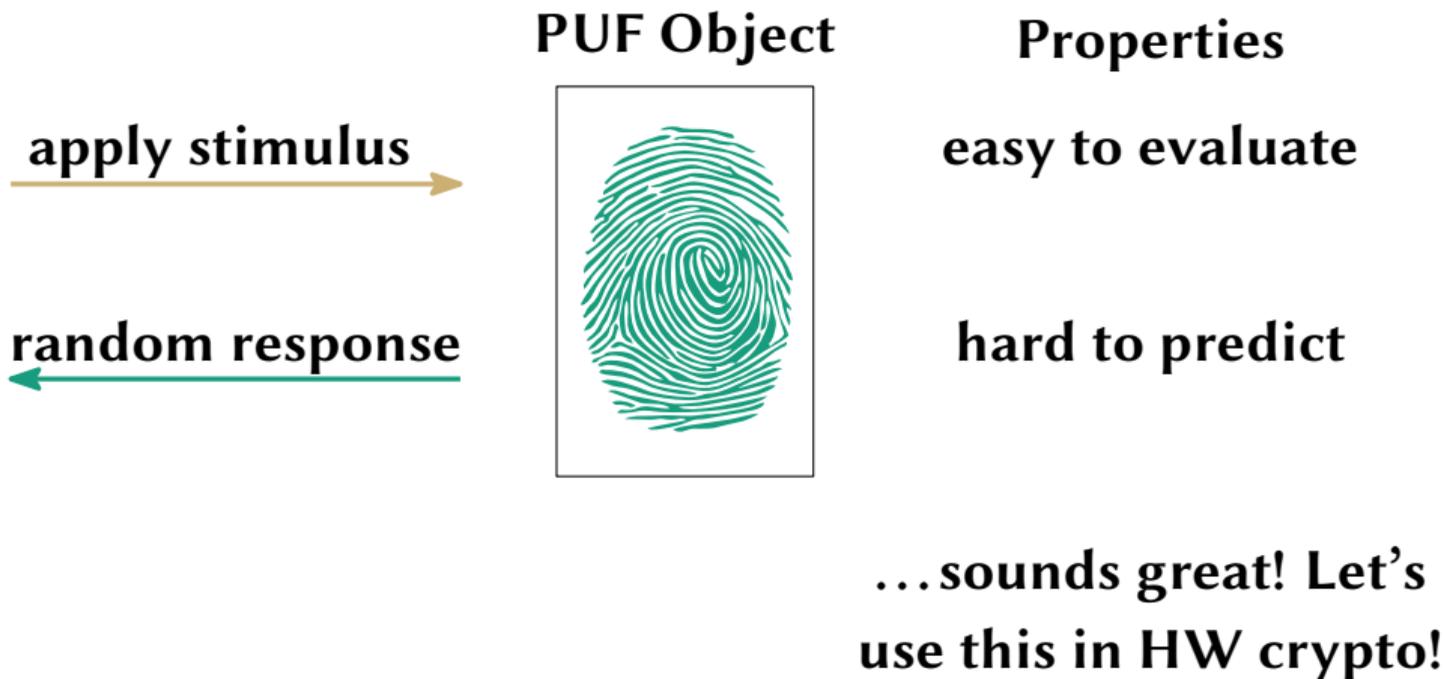

New Insights to Key Derivation for Tamper-Evident Physical Unclonable Functions (PUFs)

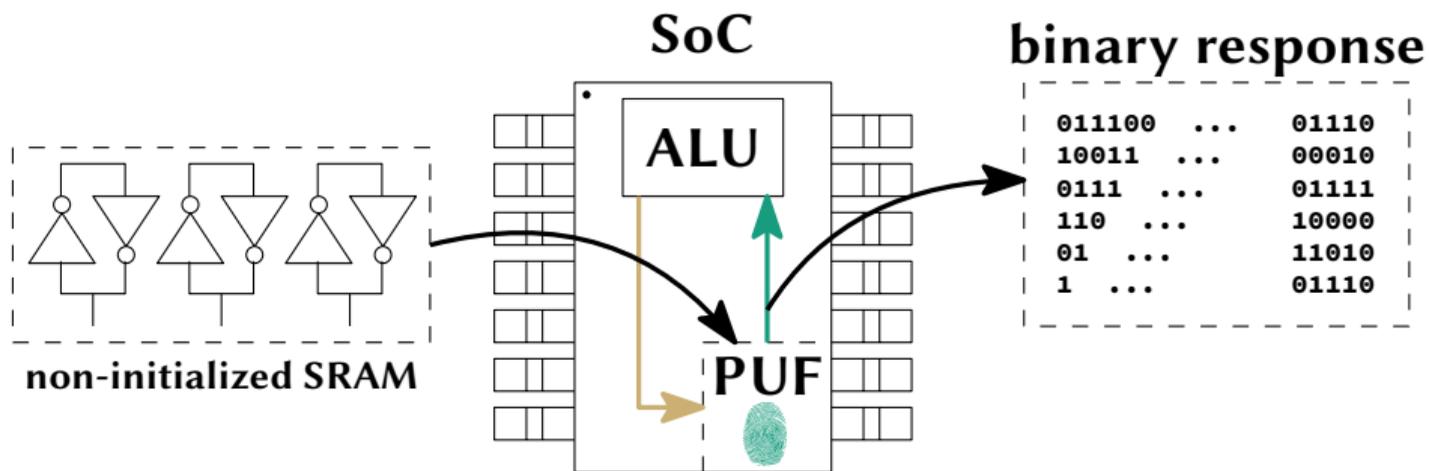
Vincent Immler, Karthik Uppund

Conference on Cryptographic Hardware and Embedded Systems, Atlanta, Aug 26, 2019

PUF in a Nutshell: Biometrics of Objects



PUF in a Nutshell: Example

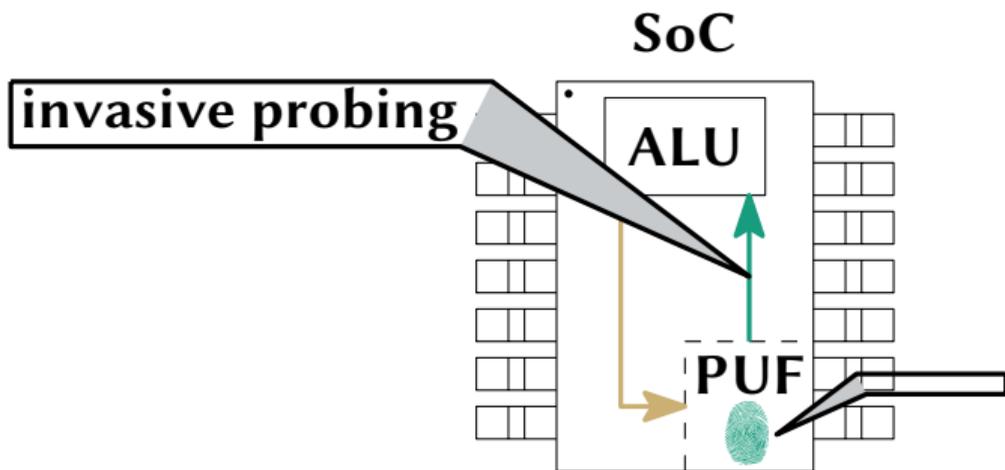


key derivation from response instead of key storage!

advantages: delayering and optical analysis cannot reveal key

disadvantages: noisy response necessitates error-correction

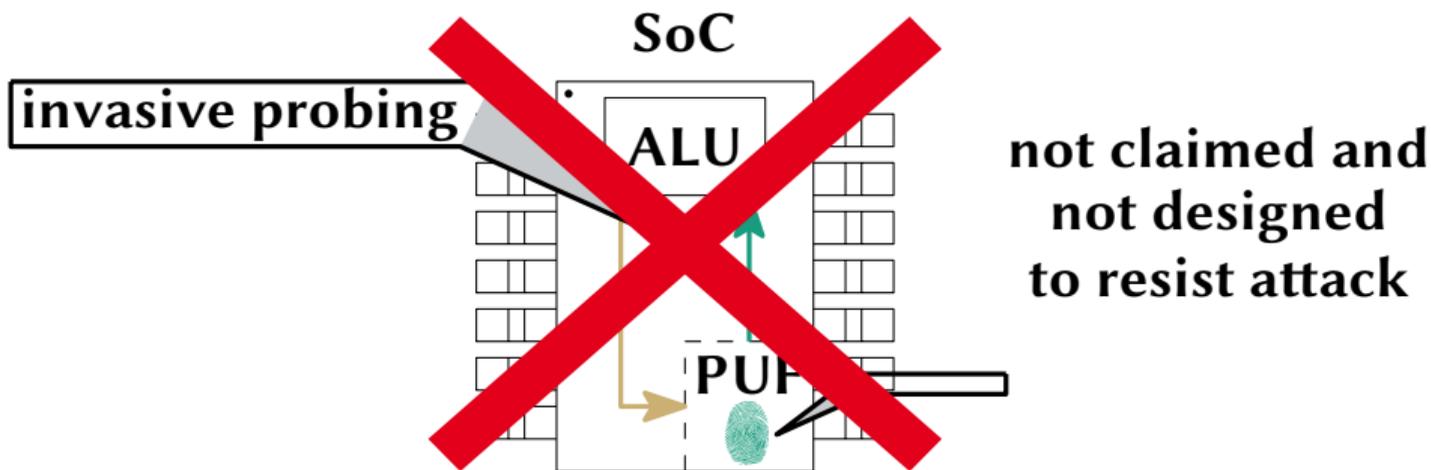
PUFs and Probing (In-)Security



What about other physical attacks?

cf. "On the Physical Security of Physically Unclonable Functions" by Shahin Tajik

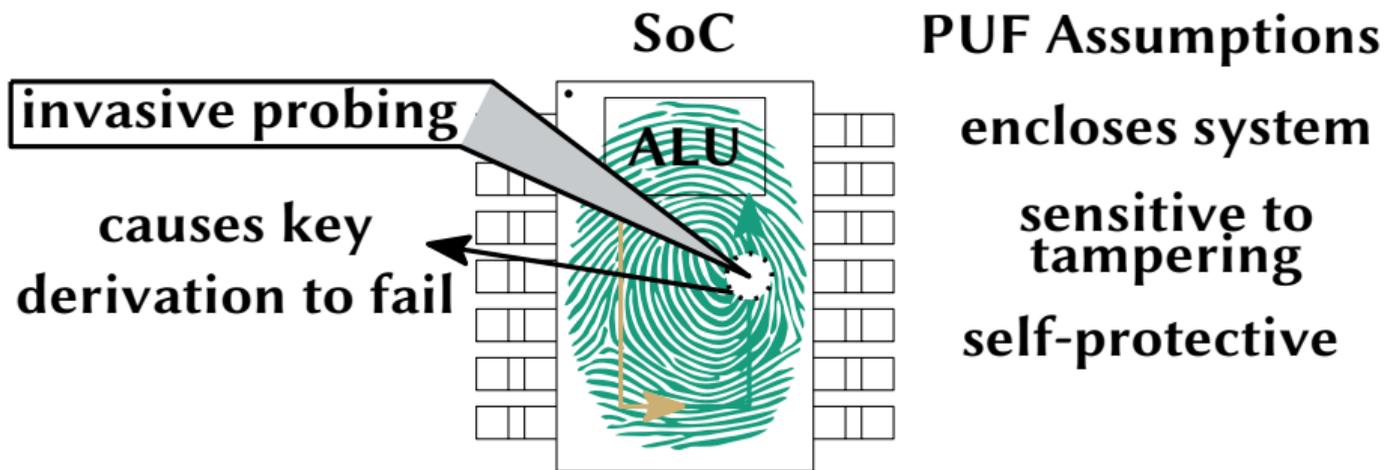
PUFs and Probing (In-)Security: A Common Misconception



most PUFs \neq protection from live physical attacks

(they are not tamper-evident, still needed: active meshes and other countermeasures)

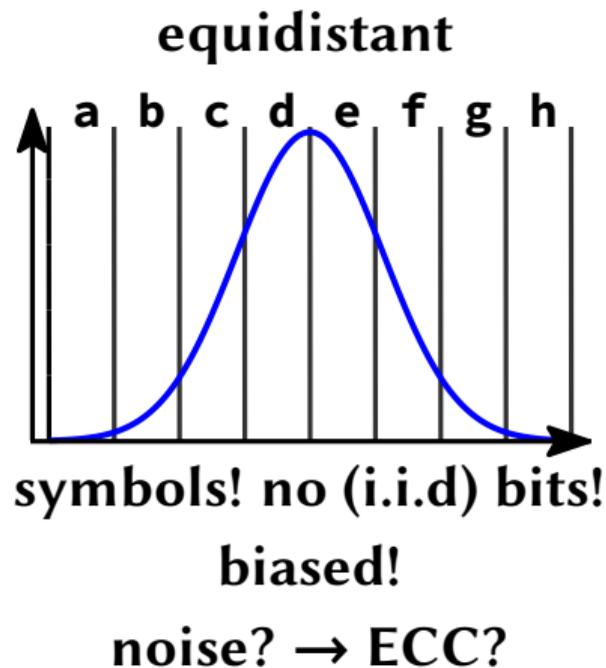
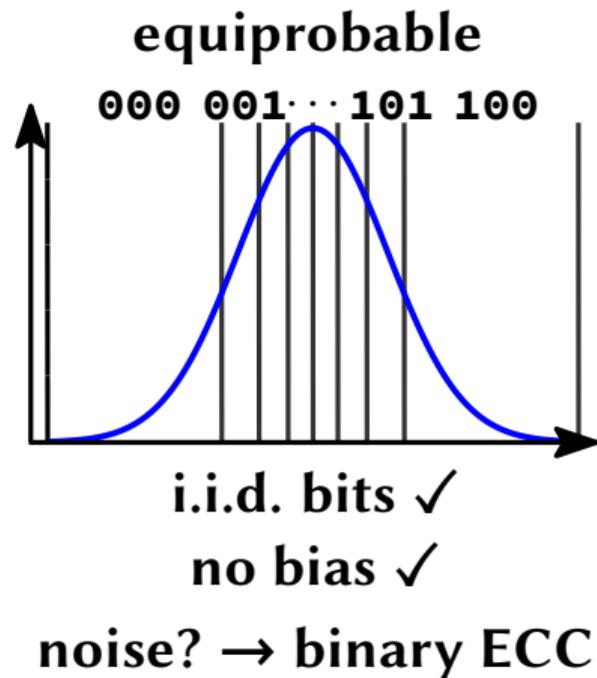
Idea of Tamper-Evident PUFs



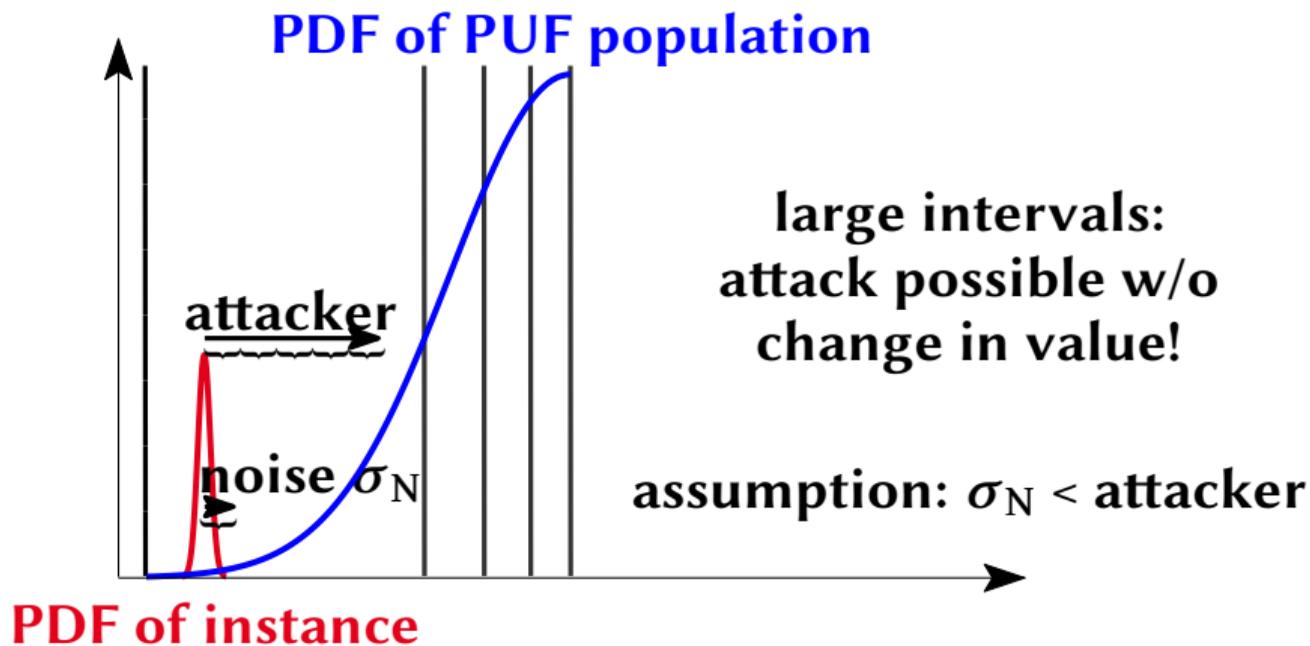
tamper-evident PUF = protection from probing attacks

examples: Coating PUF (CHES'06), Waveguide PUF ('15), B-TREPID (HOST'18)

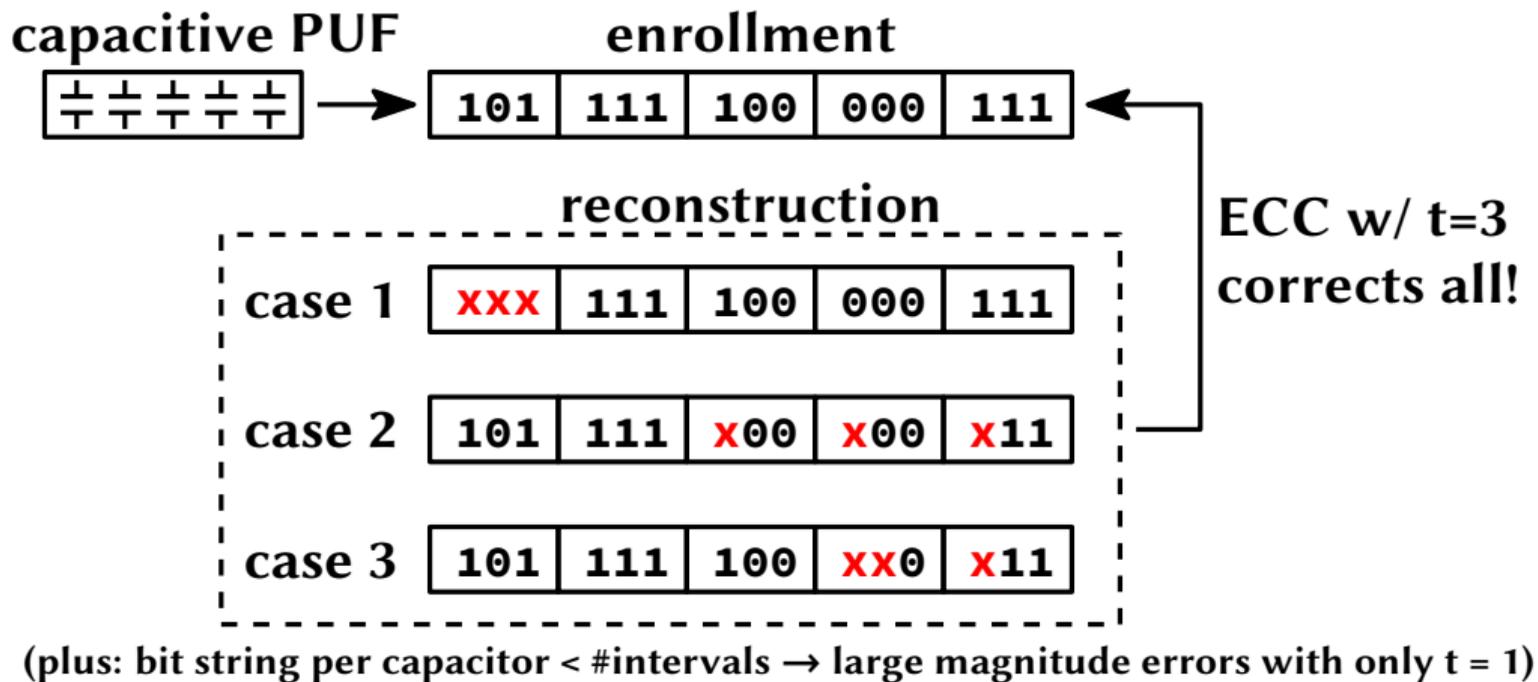
Two Well-Known Quantization Schemes



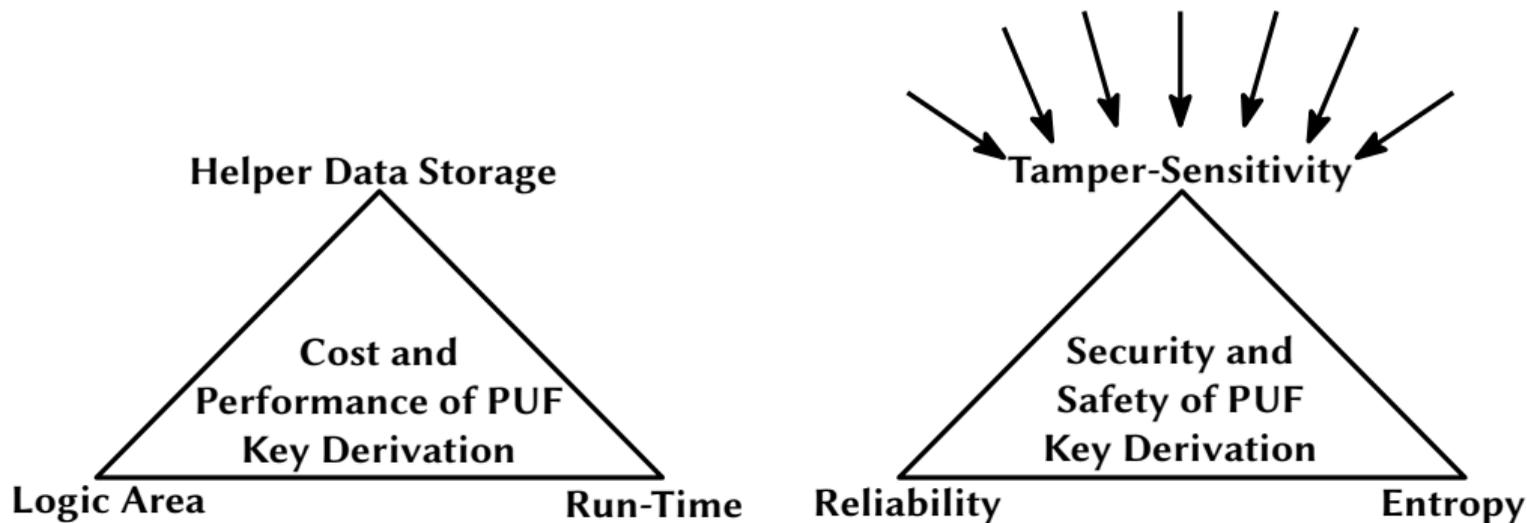
Equiprobable Quantization: Partial Insensitivity to Attacks



Missing Selectivity of Binary ECC for Responses w/ Multiple Values



Tamper-Sensitivity as High-Level Goal for PUF Key Derivation



previous work: strong focus on making PUFs small and lightweight
different approach needed: make PUFs tamper-evident, large, and secure!

Two Definitions for Fair Comparison of Tamper-Sensitivity

max-TS : Maximum Magnitude Tamper Insensitivity

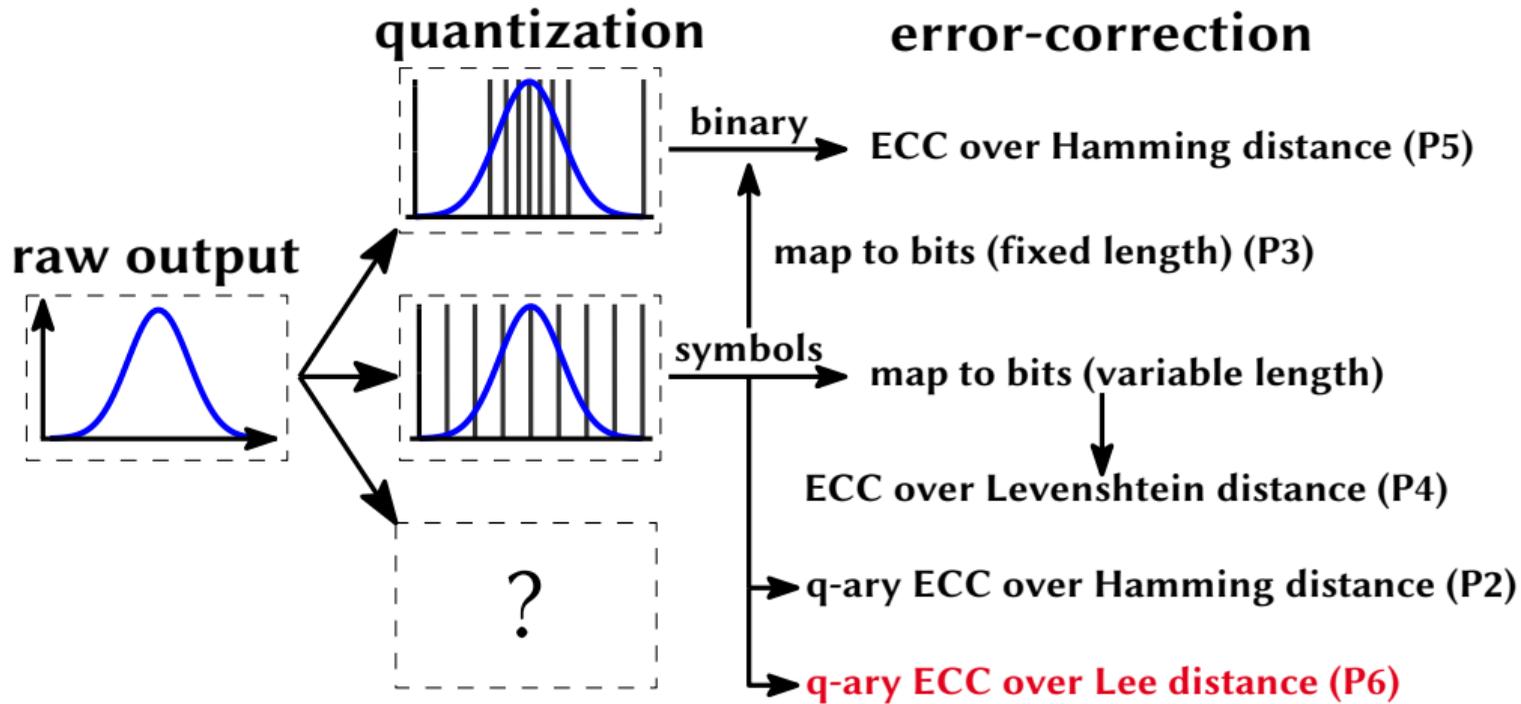
Defines the **maximum magnitude** of the attacker that goes *undetected* (worst-case).

min-TS : Minimum Magnitude Tamper Sensitivity

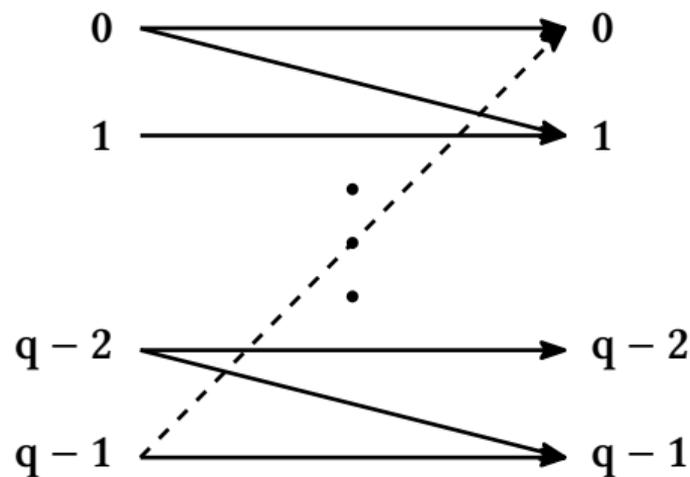
Defines the **minimum magnitude** of the attacker that is *detected* (best case).

comparability: express magnitude in multiples of measurement noise σ_N
“practically best” physical security for $max-TS = min-TS$; and close to 1 (equal to σ_N)

Zoo of Key Derivation Options for Tamper-Evident PUFs



P6: q-ary Channel Model and Limited Magnitude Codes (LMC)



wrap-around (dashed + thick)
non wrap-around (thick only, use this)

wrap-around (Lee)

$$d_{\text{Lee}}(x, y) = \min((x - y), q - (x - y))$$

$$d_{\text{Lee}}(0, q - 1) = 1$$

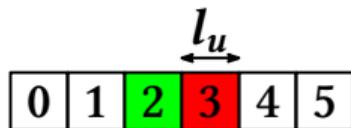
non wrap-around (Manhattan)

$$d_{\text{Lee}}(x, y) = |x - y|$$

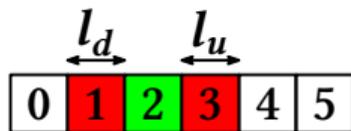
$$d_{\text{Lee}}(0, q - 1) = q - 1$$

LMC Types and Result

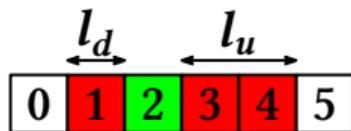
High selectivity of error correction: magnitude, direction, # of magnitude errors



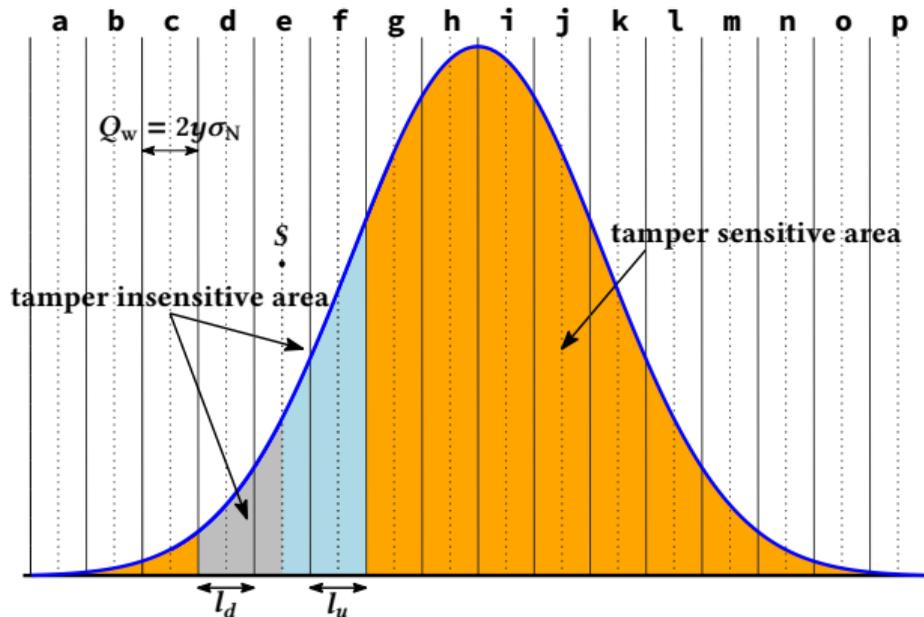
Asymmetric



Symmetric



Bidirectional



Results

Coating PUF parameters (node = single capacitor; device = all capacitors)

Profile	y	L	z	ECC(n, t)	H_{∞}^{eff} [bit]	$TS_{\text{node}}^{\text{max}}$ [σ_N]	$TS_{\text{device}}^{\text{max}}$ [σ_N]	Distance Metric
P1	5.4	8	128	-	267	5.4	692	none
P2	2.3	32	4	RS(31, 7)	122	148	4352	$d_{H S}$
P3	3.6	16	5	BCH(127, 2)	265	116	1577	$d_{H 2}$
P4	4.95	12	1	VT($\cdot, 1$)	276	65	693	d_{Lev}
P5	2.87	8	2	BCH(255, 4)	320	112	2994	$d_{H 2}$
P6	2.1	64	1	LMC(63, 10)	319	6.3	395	d_{Man}

Conclusions and Future Work

- Tamper-evident PUFs are important for highest physical security
- Physical design and key derivation must be optimized for tamper-sensitivity
- Formalized tamper-sensitivity to better assess PUF key derivation
- Proposed new scheme to overcome previous limitations
- Updated definitions of Uniqueness and Reliability for Lee/Manhattan metric
- Responses based on symbols/higher-order alphabet
 - Benefits of same concept when applied to regular PUFs?
 - Impact of same concept on strong PUFs?
- Future work: investigate better quantization options

Contact Information



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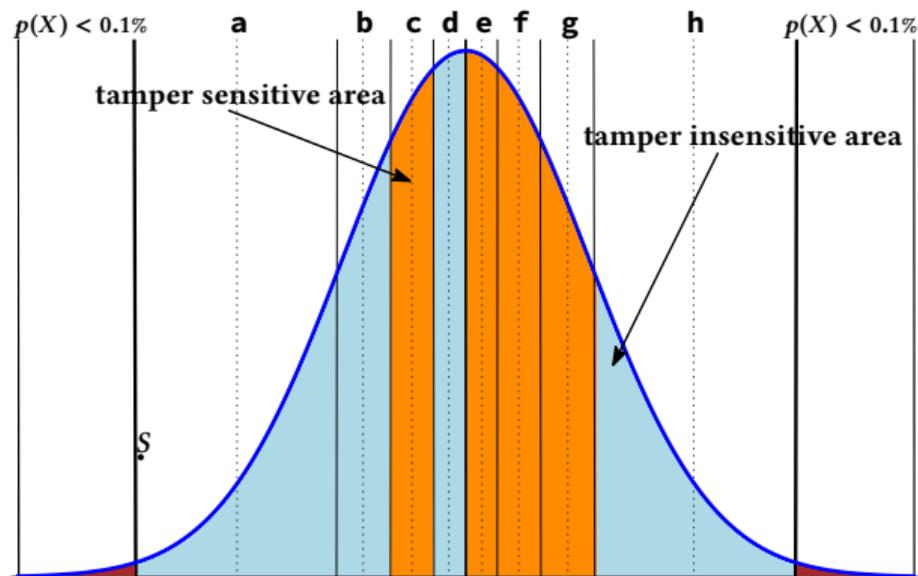
All other inquiries:
science+ches2019@mm.st

This work was performed while with Fraunhofer Institute AISEC.

Thank You!
Questions?

Backup

Profile 5: Equiprobable Quantization + BCH-based Code-Offset



$$\begin{aligned} \text{TS}_{\text{node}}^{\max} &= \sum_{i=1}^L \text{width}(Q_i) \\ \text{TS}_{\text{device}}^{\max} &= z t \text{TS}_{\text{node}}^{\max} + (v - z t) \cdot Q_{\max}/2 \\ \text{TS}_{\text{node}}^{\min} &= 3 \cdot Q_{\min}/2 + \epsilon \quad \text{iff } t = 1 \\ \text{TS}_{\text{device}}^{\min} &= z t 3 \cdot Q_{\min}/2 + Q_{\min}/2 + \epsilon \end{aligned}$$

$$\text{grayCode}(0) = 00..0_{\log 2(q)}$$

$$\text{graycode}(q - 1) = 10..0_{\log 2(q)}$$